

**CNT 4419: Secure Coding [Fall 2019]**  
**Test 2**

**NAME:** \_\_\_\_\_

**Instructions:**

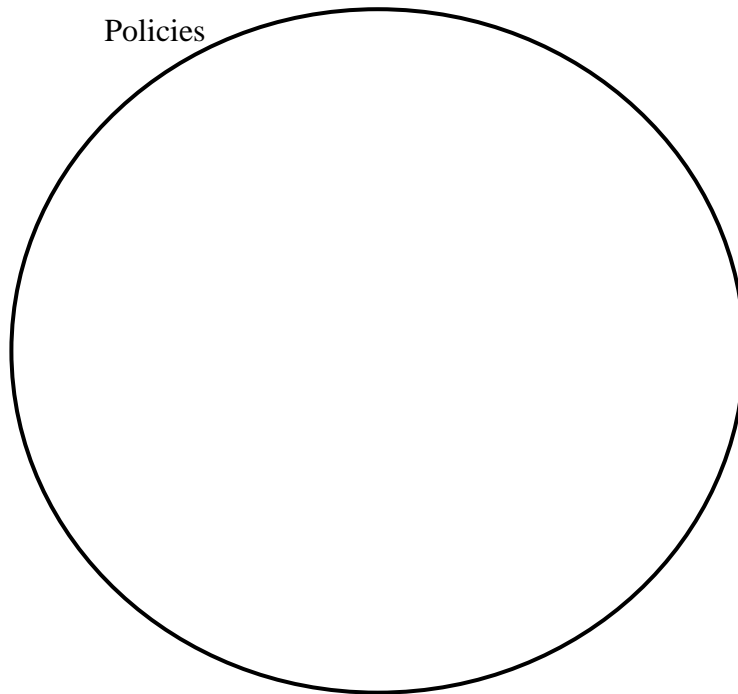
- 1) This test is 5 pages in length.
- 2) You have 40 minutes to complete and turn in this test.
- 3) Short-answer and essay questions include guidelines for how much to write. Respond in complete English sentences. Responses will be graded as described on the syllabus.
- 4) This test is closed books, notes, papers, smartphones, laptops, friends, neighbors, etc.
- 5) Use the backs of pages in this test packet for scratch work. If you write more than a final answer in the area next to a question, circle your final answer.

1. [10 points]

Explain why countability is relevant to software security. [2-4 sentences]

2. [60 points]

a) Complete the diagram below by drawing the subsets of policies discussed in class (i.e., properties, safety, and liveness).



Parts (b) to (h) define policies  $P_b$  to  $P_h$ . Categorize each of these policies by adding a dot on the figure above to show where that policy exists, and label the dot with that policy's name. Also briefly explain each of your categorizations in 1-3 sentences.

For all programs  $p$ :

b)  $p \in P_b$  iff  $\forall$  traces  $t \in p$ ,  $\text{read}(0) \notin t$

c)  $p \in P_c$  iff  $\text{write}(0); \text{write}(0); \dots \in p$

d)  $p \in P_d$  iff  $\text{write}(0); \text{write}(0); \dots \notin p$

e)  $p \in P_e$  iff  $\forall p': p' \subseteq p$

f)  $p \in P_f$  iff  $\forall p': p \subseteq p'$

g)  $p \in P_g$  iff  $\top$

h)  $p \in P_h$  iff  $p \in P_b$  and  $p \in P_d$  and  $p \in P_g$

i) Prove or disprove that  $P_c$  is a property. Hint: use the formal definition of “property”.

j) Prove or disprove that  $P_d$  is a property. Hint: use the formal definition of “property”.

k) Of the example policies  $P_b$  to  $P_h$ , which are the easiest to enforce (precisely) in practice and why? How would the enforcement mechanisms work? [1 paragraph]

3. [30 points]

a) A triple of nats contains three values  $(i, j, k)$ , where each of  $i$ ,  $j$ , and  $k$  are natural numbers. Prove or disprove that the set of all triples of nats is countably infinite.

b) Let's define a rint to be a value that's either a positive real number or a negative integer. Prove or disprove that the set of rints is countably infinite.